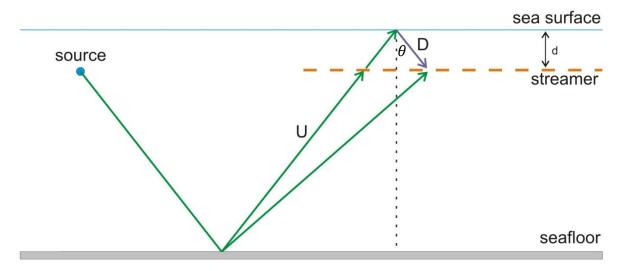


# SharpSeis<sup>™</sup> Technology for Deghosting/Broadband Processing of High-Resolution Marine Seismic Data

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P.A. Gofman (DECO Geophysical) & D.B. Finikov (Seismotech)

#### Principle scheme of towed marine seismic survey



Ghost time delay: 
$$\tau = \frac{2dcos\theta}{V}$$

*V* – water velocity

*d* – streamer depth

 $\theta$  – angle of incidence



In frequency domain:

Original amplitude spectrum of the primary:  $A(\omega)$ ;

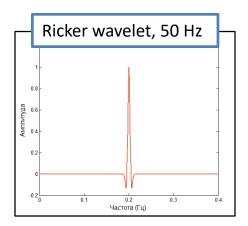
Amplitude spectra of primary + ghost:  $A(\omega)^*2\sin(\omega\tau)$ , where  $\omega = 2\pi f$ 

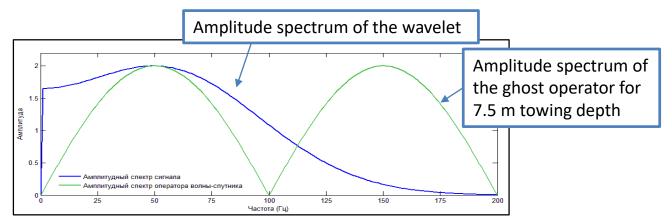


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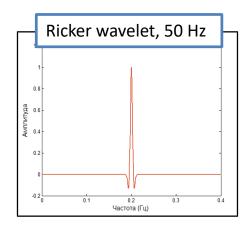


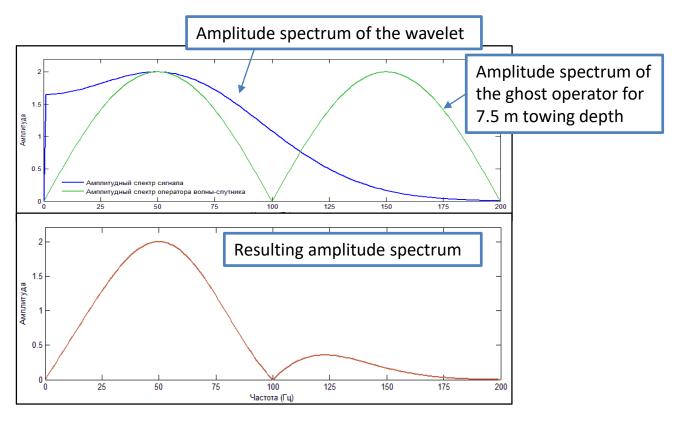


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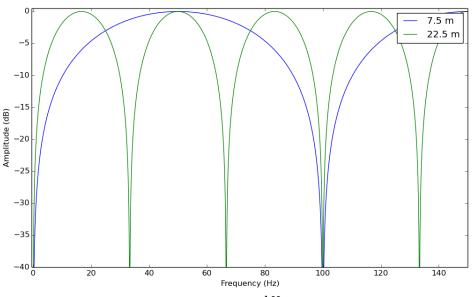






## Shall we tow deeper?

Amplitude spectra of ghost operator for at 7.5 m and 22.5 m towing depths



notch frequencies :  $Fnk = \frac{kV}{2d}$ , where k=0, 1, 2...



Cons:

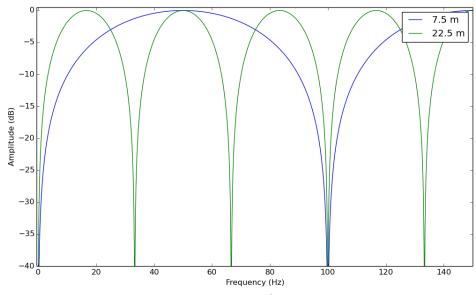
Less noisy record, more lower frequencies can be registered

Notch frequencies appear earlier narrowing useful spectrum



## Shall we tow deeper?

Amplitude spectra of ghost operator for at 7.5 m and 22.5 m towing depths



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Cons:

Less noisy record, more lower frequencies can be registered

Notch frequencies appear earlier nar owing useful spectrum



$$z(t) = p(t) - p(t - \tau)$$



$$z(t) = p(t) - p(t - \tau)$$

$$p(t) = z(t) + p(t - \tau)$$



$$z(t) = p(t) - p(t - \tau)$$
  $p(t) = z(t) + p(t - \tau) =$   
=  $z(t) + z(t - \tau) + p(t - 2\tau)$ 



$$z(t) = p(t) - p(t - \tau)$$

$$p(t) = z(t) + p(t - \tau) =$$

$$= z(t) + z(t - \tau) + p(t - 2\tau) =$$

$$= z(t) + z(t - \tau) + z(t - 2\tau) + p(t - 4\tau) = \dots$$



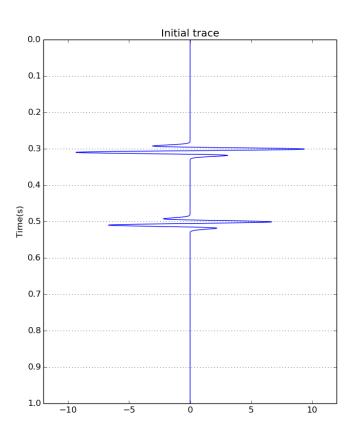
Model of the trace:

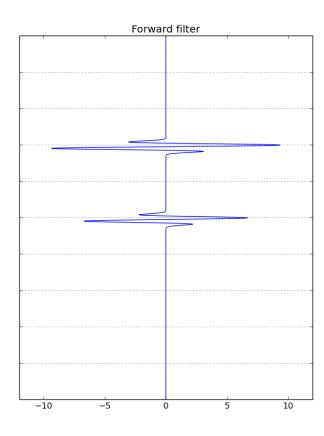
$$z(t) = p(t) - p(t - \tau)$$

Iteration 0

$$p(t) = z(t) + p(t - \tau) =$$

$$z(t) + z(t - \tau) + p(t - 2\tau) = \cdots$$



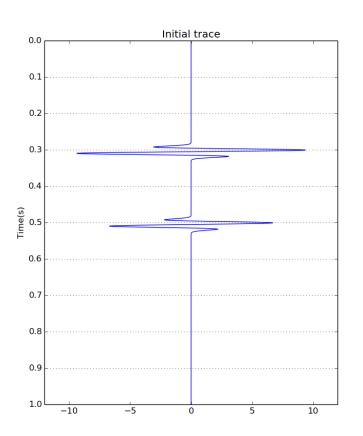




Model of the trace:

$$z(t) = p(t) - p(t - \tau)$$

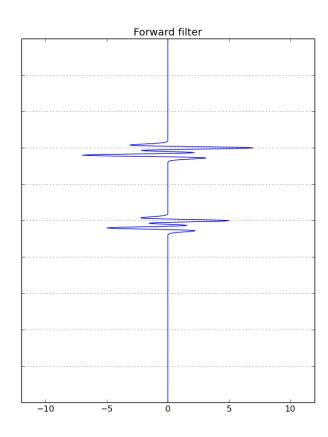
#### Iteration 1



#### Recursive filtering:

$$p(t) = z(t) + p(t - \tau) =$$

$$z(t) + z(t - \tau) + p(t - 2\tau) = \cdots$$





Model of the trace:

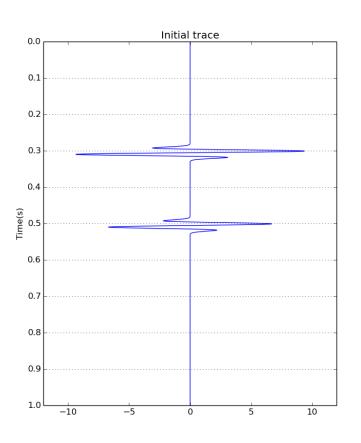
$$z(t) = p(t) - p(t - \tau)$$

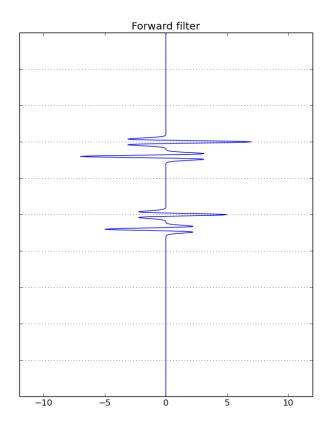
#### Iteration 2

$$p(z(t) +$$

$$p(t) = z(t) + p(t - \tau) =$$

$$z(t) + z(t - \tau) + p(t - 2\tau) = \cdots$$







Model of the trace:

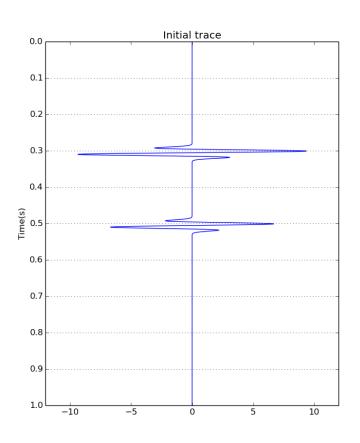
$$z(t) = p(t) - p(t - \tau)$$

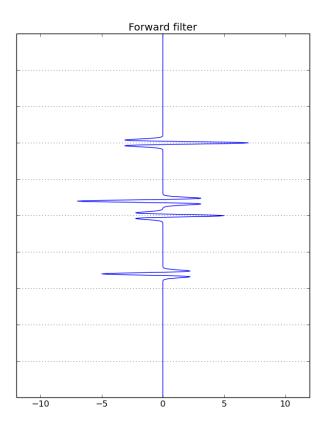
#### Iteration 3

Recursive filtering:

$$p(t) = z(t) + p(t - \tau) =$$

$$z(t) + z(t - \tau) + p(t - 2\tau) = \cdots$$



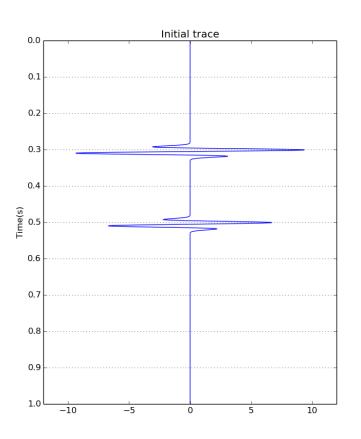




Model of the trace:

$$z(t) = p(t) - p(t - \tau)$$

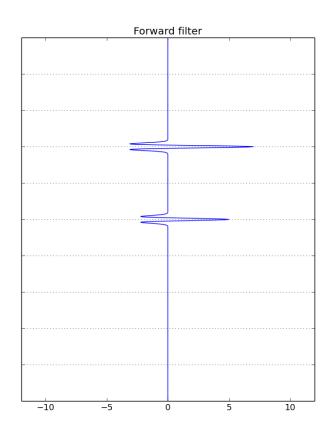
#### Iteration N



#### Recursive filtering:

$$p(t) = z(t) + p(t - \tau) =$$

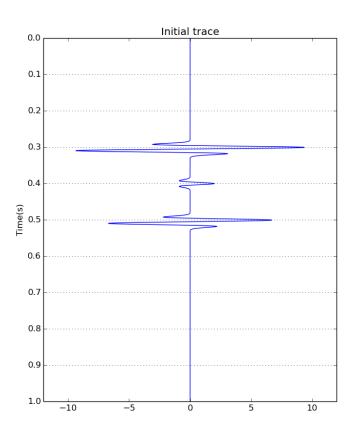
$$z(t) + z(t - \tau) + p(t - 2\tau) = \cdots$$





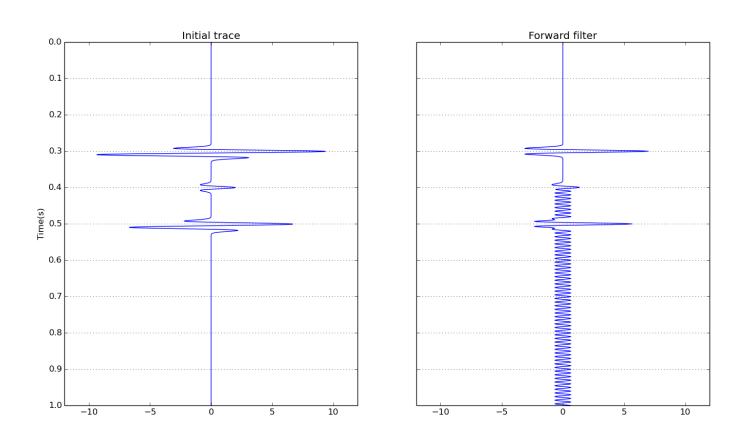
# SharpSeis<sup>™</sup> solution theory: recursive filtering

#### Additional noise – event without ghost





Additional noise creates infinite noise train pulse in direction of filtering:

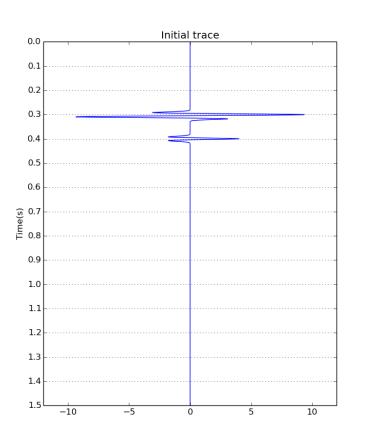


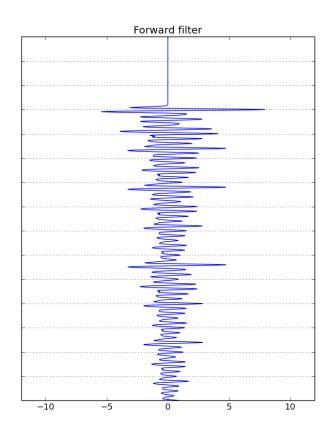


#### Stabilizing the solution:

#### 1. Damping factor:

$$\vec{p}(t) = z(t) - q \cdot p(t - \tau), q < 1$$

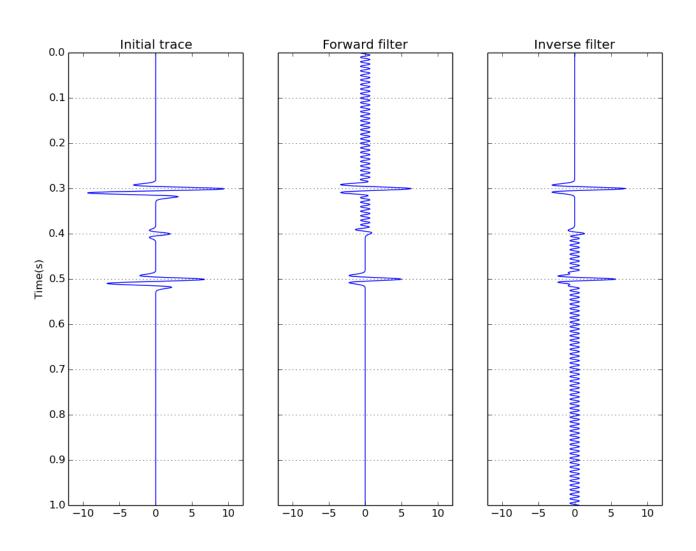






#### Stabilizing the solution:

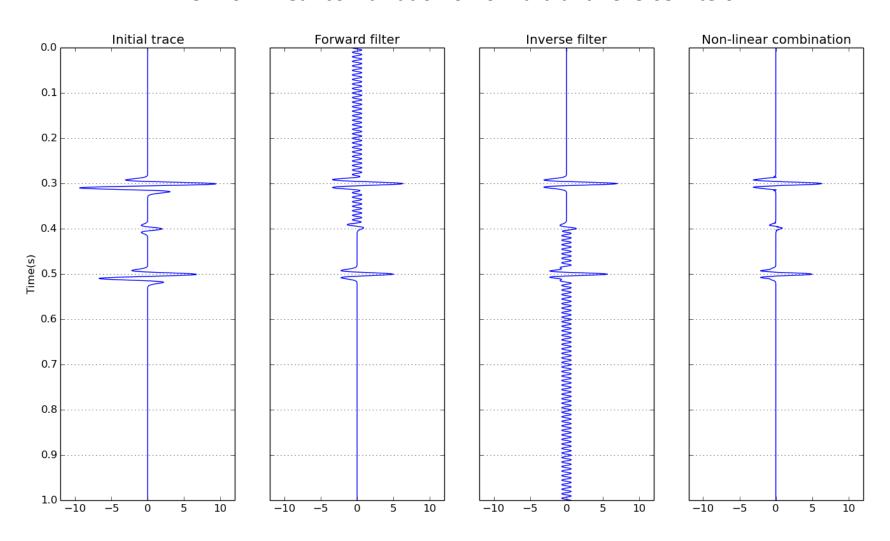
#### 2. Filtering in both forward and reverse time:





#### Stabilizing the solution:

#### 3. Non-linear combination of forward and reverse filters





## SharpSeis<sup>™</sup> deghosting/broadband processing

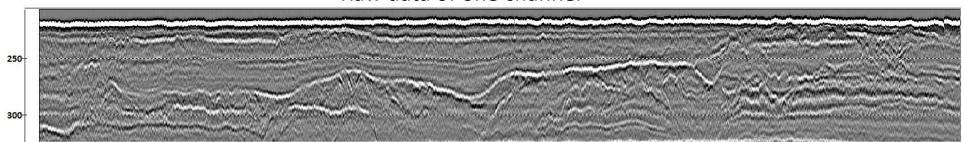
#### Summary:

- 1. Based on recursive filtering approach;
- 2. Stabilized with damping factor
- 3. Nonlinear combination of forward and reverse filtering result
- 4. Adaptive selection of filtering parameters (ghost delay and q)



(source towing depth – 2 m, receiver towing depth – around 3 m)

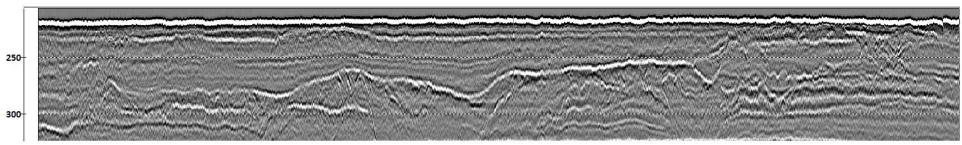
#### Raw data of one channel



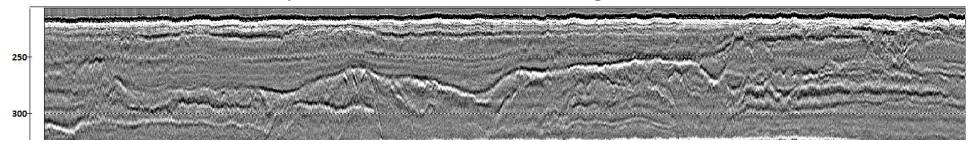


(source towing depth – 2 m, receiver towing depth – around 3 m)

#### Raw data of one channel



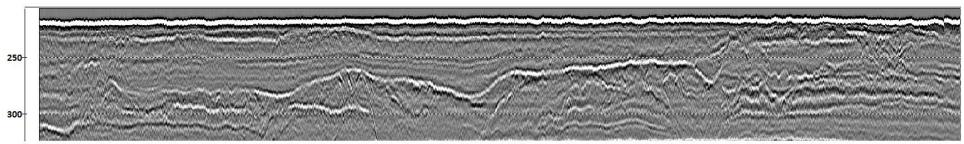
SharpSeis 1st iteration: receiver side ghost removed



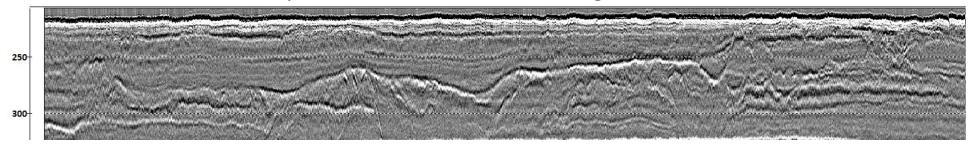


(source towing depth – 2 m, receiver towing depth – around 3 m)

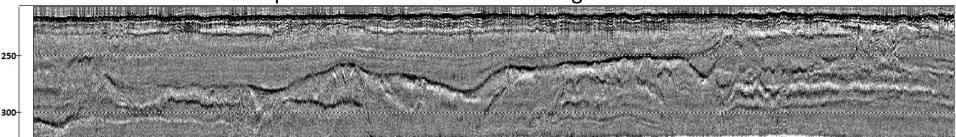
#### Raw data of one channel



SharpSeis 1<sup>st</sup> iteration: receiver side ghost removed

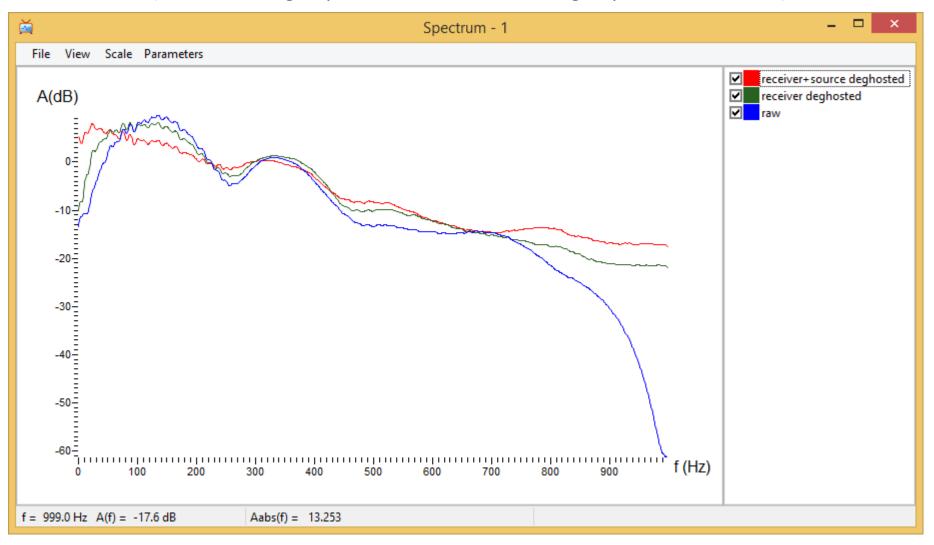


SharpSeis 2<sup>nd</sup> iteration: source side ghost removed

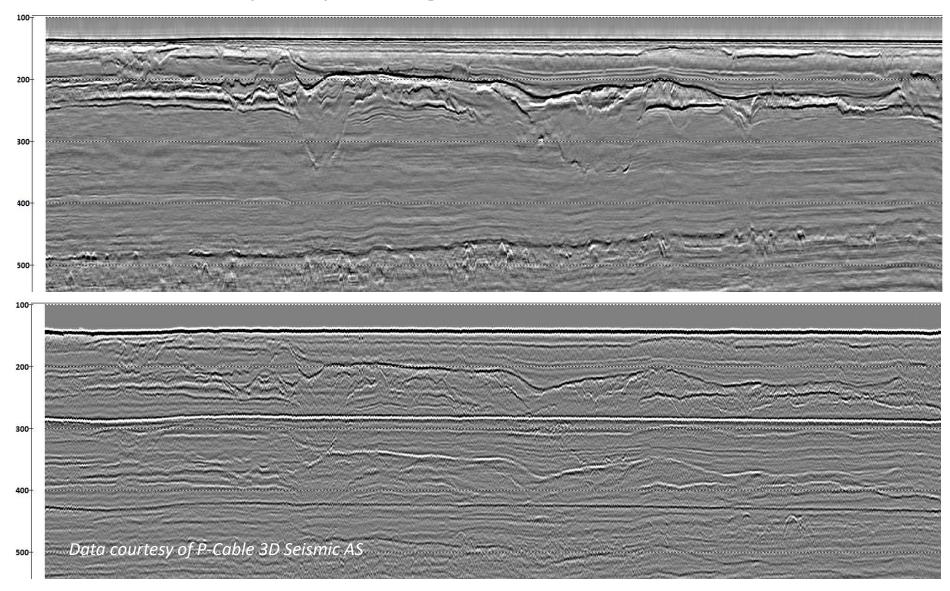




(source towing depth – 2 m, receiver towing depth – around 3 m)



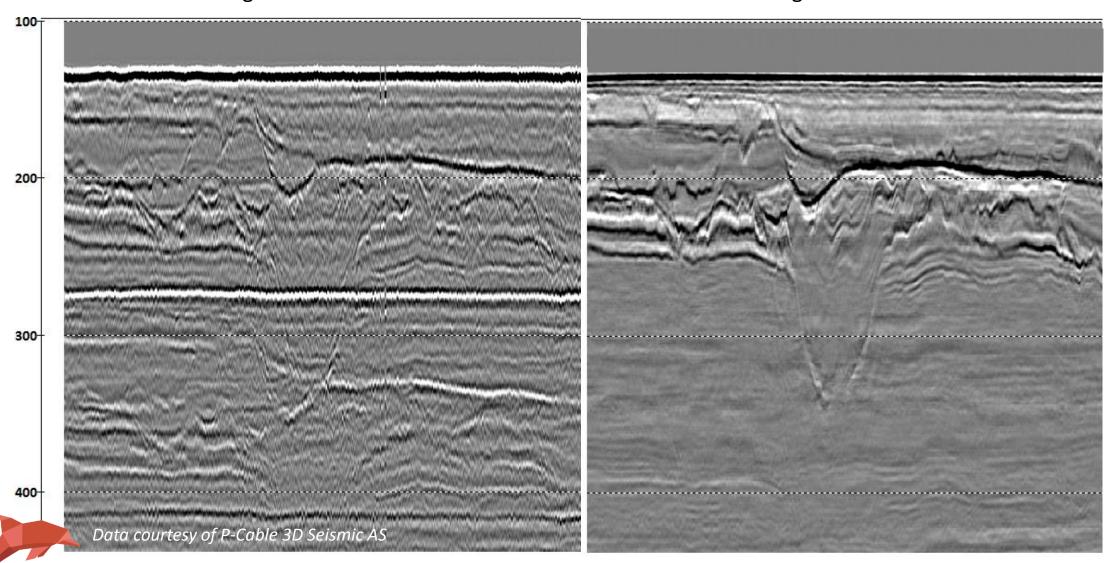






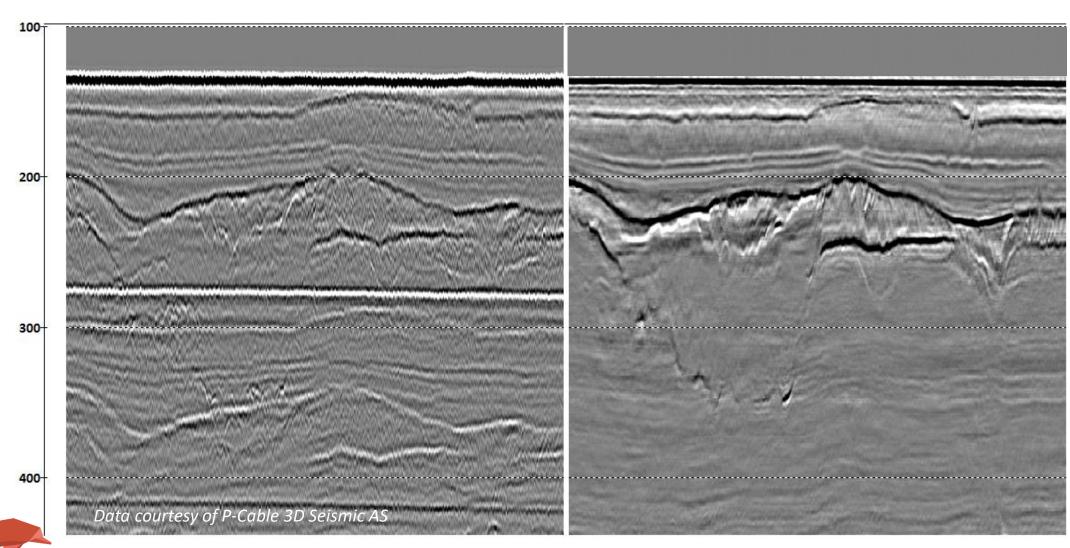


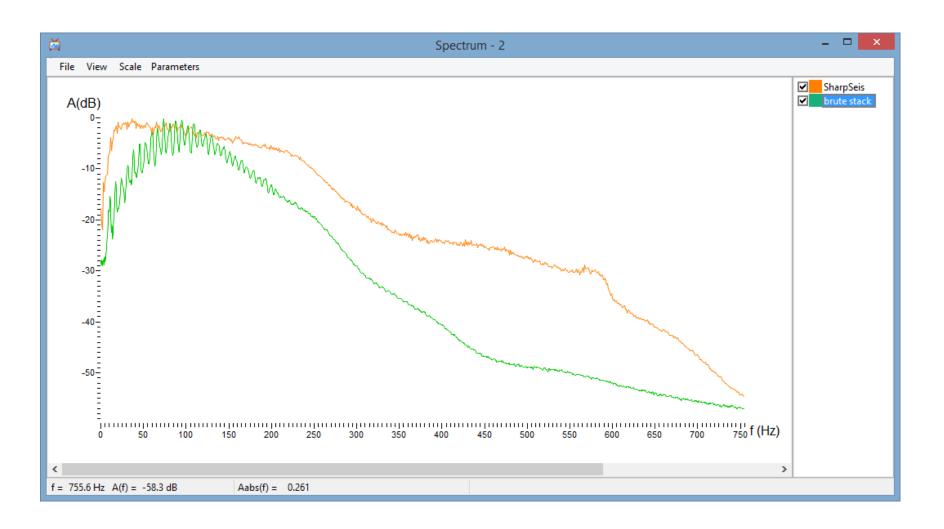
Deghosted stack



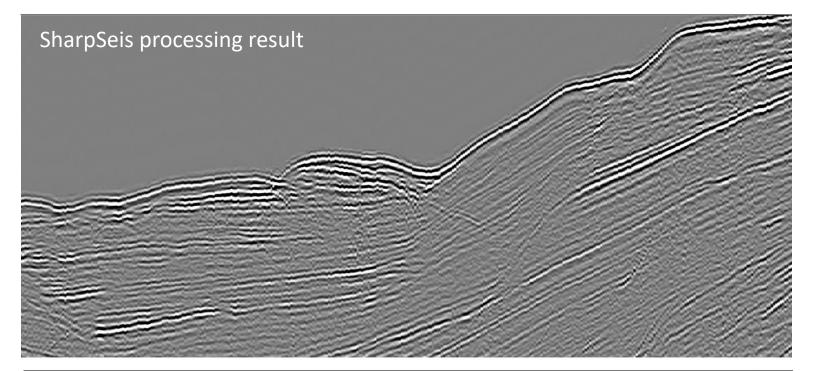
#### Original brute stack

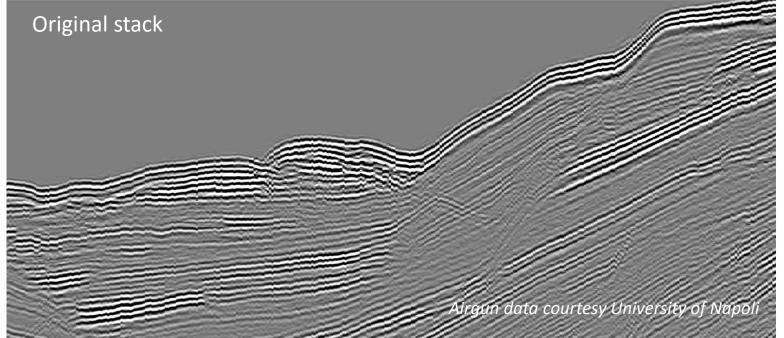
Deghosted stack



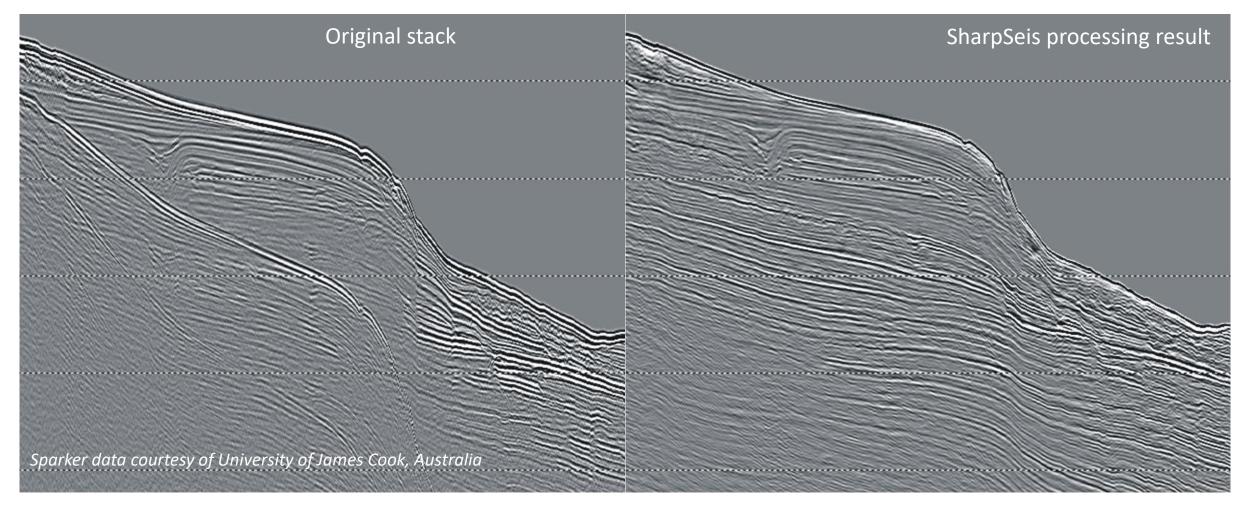




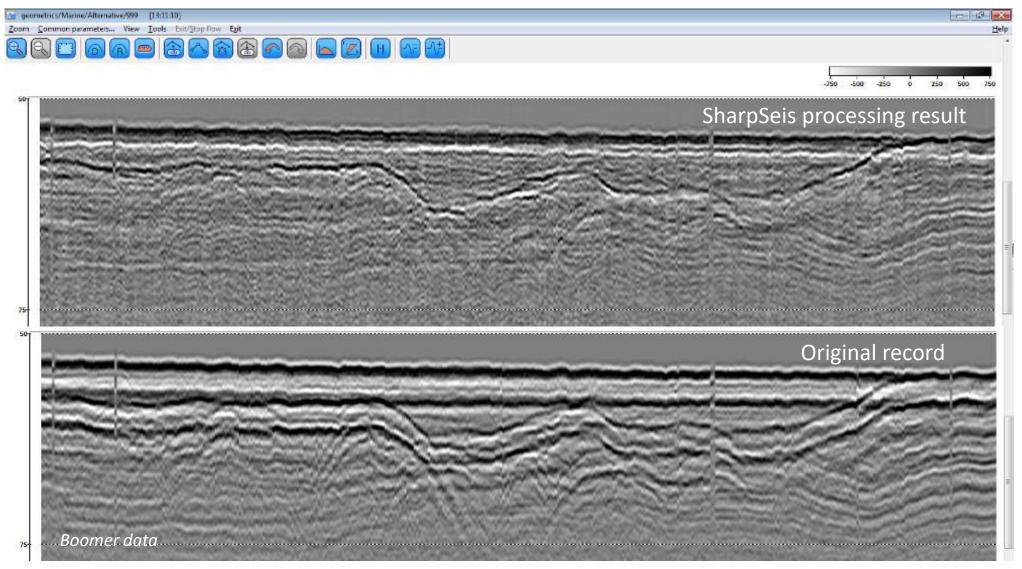












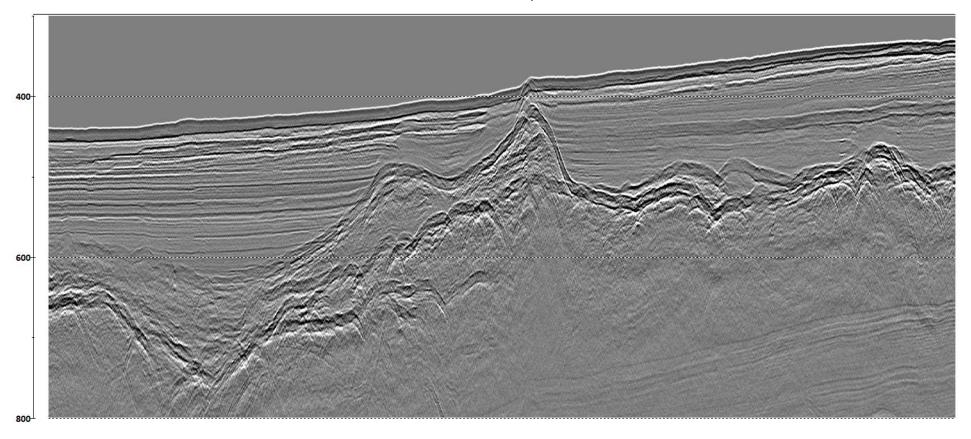


# What about deep-tow?



#### Deep-tow HR seismic

#### One channel, raw

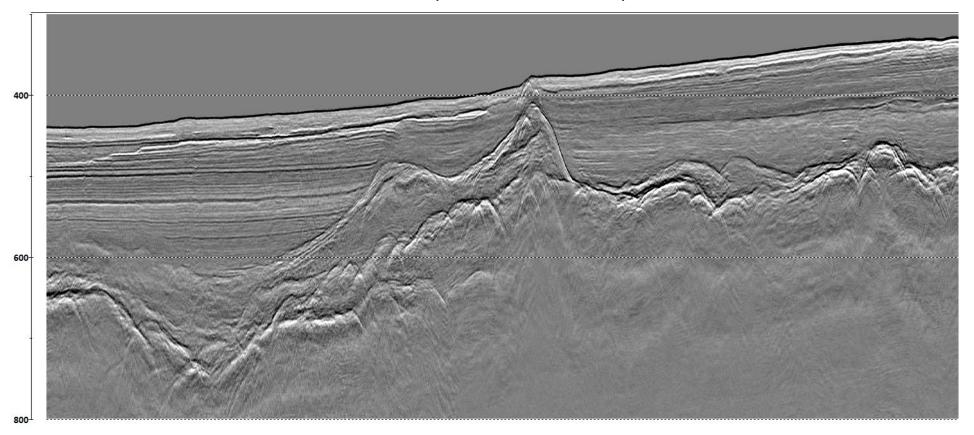


P-Cable data courtesy University of Tromsø



#### Deep-tow HR seismic

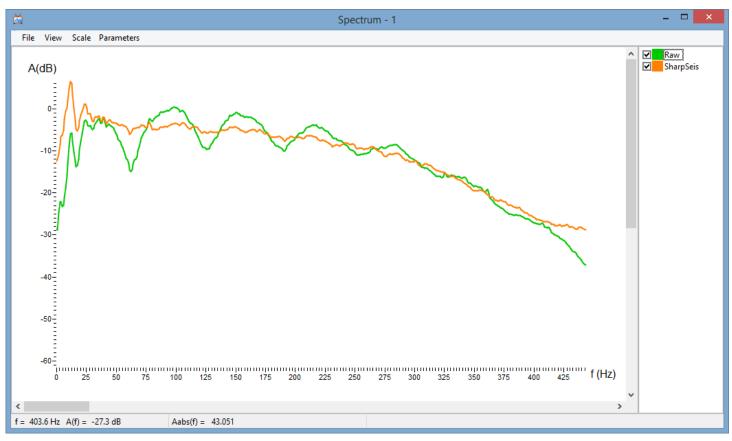
## One channel, processed with SharpSeis<sup>™</sup>



P-Cable data courtesy University of Tromsø



#### Deep-tow HR seismic



P-Cable data courtesy University of Tromsø



#### **Conclusions**

- SharpSeis<sup>™</sup> deghosting technique implemented in RadExPro seismic software was proved to be efficient for broadband processing of HR marine seismic data.
- ☐ It is capable to significantly increase data resolution and detail.
- ☐ The technique can be applied to both conventional and deep-tow data, providing a way to benefit from higher SNR potentially associated with deep-tow data acquisition.

